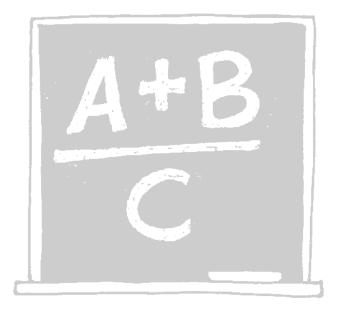






Ratios and Proportions





Outline:

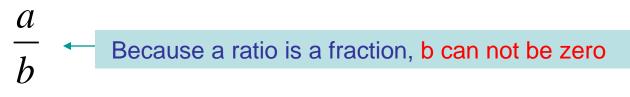
Ratios!

What is a Ratio?
How to Use Ratios?
How to Simplify?
Proportions!
What is a proportion?
Properties of proportions?
How to use proportions?

Mysterious Problems...

What is a Ratio?

- A ratio is a comparison of two numbers.
- Ratios can be written in three different ways: a to b a:b



Ratios are expressed in simplest form

How to Use Ratios?

- The ratio of boys and girls in the class is
 12 to11.
 This means, for every 12 boys
- The ratio of le is 4 to 1.
 How many dogs and cats do I have? We don't know, all we know is if they'd start a fight, each dog has to fight 2 cats.
 For the ratio of le is a rectangle is a rectan

a huge class

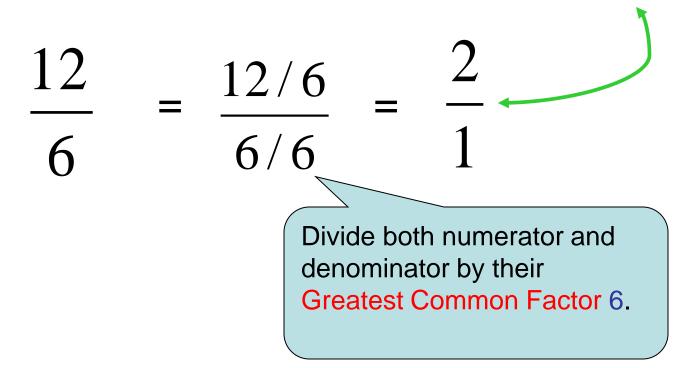
What is the ratio if the rectangle is 8cm long and rectangle is 8cm long and rectangle is 8cm long and 10 of Cats and dogs at my home is 2 to 1

Still 4 to 1, because for every 4cm, you can find 1cm to match

 The ratios we saw on last slide were all simplified. How was it done?

Ratios can be expressed in fraction form... $\frac{a}{b}$ This allows us to do math on them. The ratio of boys and girls in the class is 12 11 4 1 The ratio of the rectangle is The ratio of cats and dogs in my house is 2 1

• Now I tell you I have 12 cats and 6 dogs. Can you simplify the ratio of cats and dogs to 2 to 1?



A person's arm is 80cm, he is 2m tall.

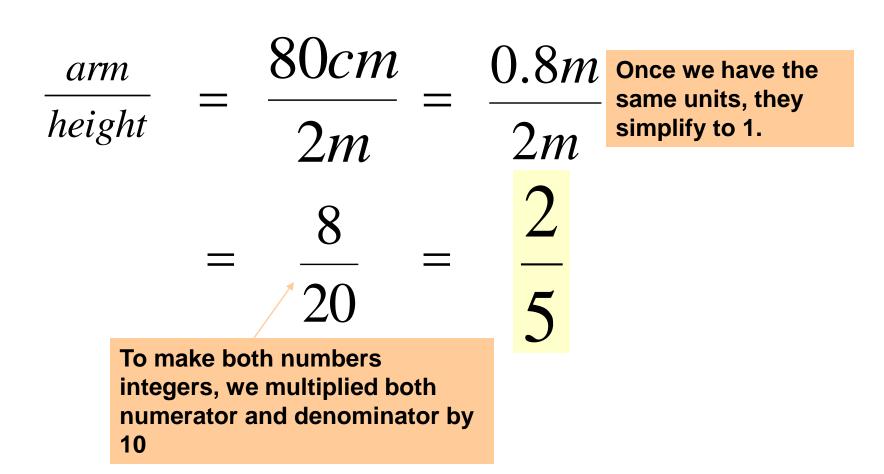
Find the ratio of the length of his arm to his total height

To compare them, we need to convert both numbers into the same unit ...either cm or m.

• Let's try *cm* first!

arm		80 <i>cm</i>		80 <i>cm</i>	Once we have the
height		2m		200 <i>cm</i>	 same units, we can simplify them.
	=	$\frac{80}{200}$	=	$\frac{2}{5}$	
	_	$\overline{200}$		5	

• Let's try *m* now!



 If the numerator and denominator do not have the same units it may be easier to convert to the smaller unit so we don't have to work with decimals...

3cm/12m = 3cm/1200cm = 1/400

2kg/15g = 2000g/15g = 400/3

5ft/70in = (5*12)in / 70 in = 60in/70in = 6/7



Of course, if they are already in the same units, we don't have to worry about converting. Good deal

More examples...

$\frac{8}{24}$	$=$ $\frac{1}{3}$	$\frac{12}{50}$ =	<u>6</u> 25
$\frac{40}{200}$	$= \frac{1}{5}$	$\frac{27}{18}$ =	$\frac{3}{2}$
<u>27</u> 9	$= \frac{3}{1}$		

Now, on to proportions!

What is a proportion?

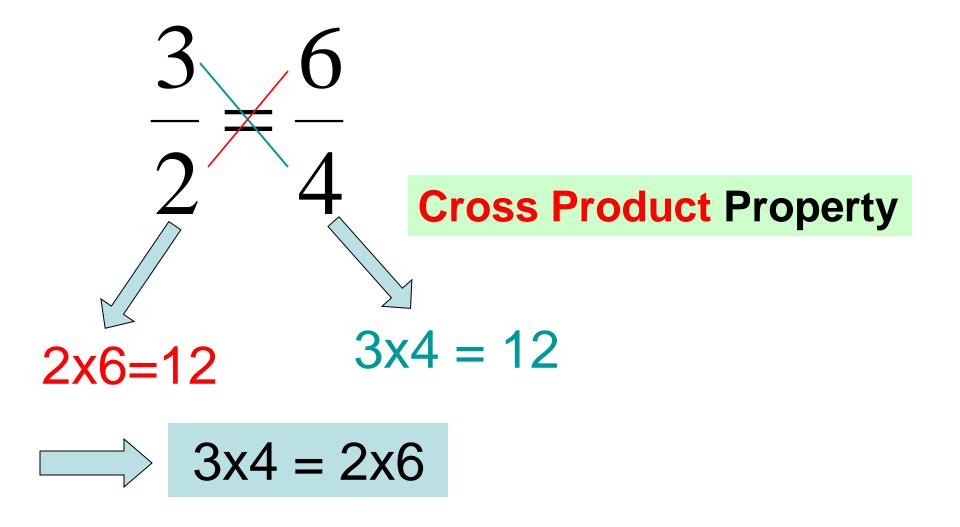
$$\frac{a}{b} = \frac{c}{d}$$
 A proportion is an equation that equates two ratios

The ratio of dogs and cats was 3/2

The ratio of dogs and cats now is 6/4=3/2

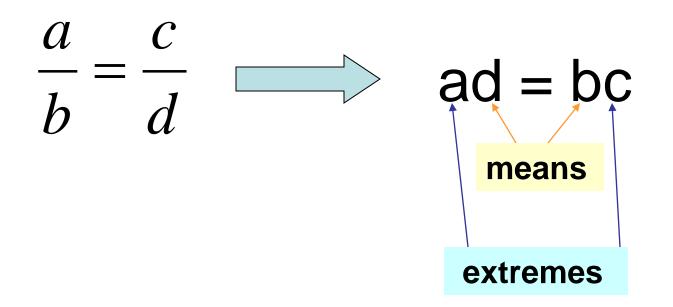
So we have a proportion :
$$\frac{3}{2} = \frac{6}{4}$$

Properties of a proportion?



Properties of a proportion?

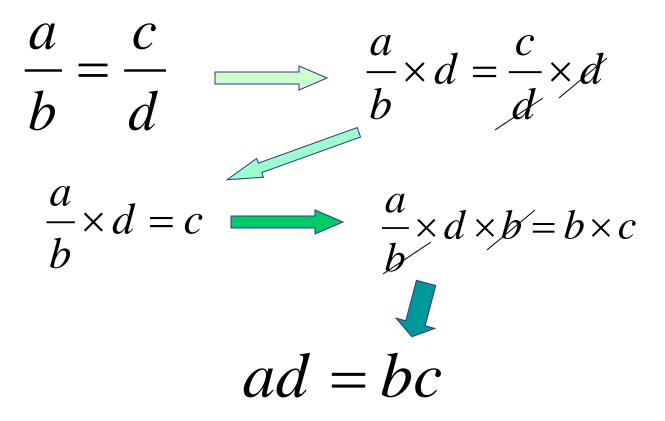
Cross Product Property



Properties of a proportion?

Let's make sense of the Cross Product Property...

For any numbers a, b, c, d:



How about an example?

$$\frac{7}{2} = \frac{x}{6}$$
 Solve for x:

 $7(6) = 2x \leftarrow Cross Product Property$ 42 = 2x21 = x

How about another example?

$$\frac{7}{2} = \frac{12}{x}$$
 Solve for x:

 $7x = 2(12) \leftarrow Cross Product Property$

$$7x = 24$$
$$x = \frac{24}{7}$$

Can you solve it using Reciprocal Property? If yes, would it be easier?

