



# **SNS COLLEGE OF TECHNOLOGY**

(An Autonomous Institution)

COIMBATORE-

Accredited by NBA-AICTE and Accredited by NAAC – UGC with A+ Grade

Approved by AICTE, New Delhi & Affiliated to Anna University, Chennai



## **DEPARTMENT OF ELECTRICAL AND ELECTRONICS ENGINEERING**

**COURSE NAME: 16EE214/ELECTRICAL MACHINES AND DRIVES**

**III YEAR / VI SEMESTER**

**UNIT 1- OVERVIEW OF ELECTRICAL DRIVE**

**Topic 4 – Heating and cooling curves**



# SUCCESSFUL STUDENT

Positive  
Attitude

Professionally  
Groomed

Socially  
Interactive

Technically  
Skillful



# HEATING AND COOLING CURVES

A machine can be considered as a homogeneous body developing heat internally at uniform rate and dissipating heat proportionately to its temperature rise,

## RELATION SHIP BETWEEN TEMPERATURE RISE AND TIME

Let,

$P$  =heat developed, joules/sec or watts

$G$  =weight of active parts of machine, kg

$h$  =specific heat per kg per deg cell

$S$  = cooling surface, m<sup>2</sup>

$\lambda$  = specific heat dissipation (or) emissivity, J per sec per m<sup>2</sup> of



# HEATING AND COOLING CURVES

$q$  = temperature rise, deg cell

$qm$  =final steady temperature rise, deg cell

$t$  =time, sec

$t$  =heating time constant, seconds

$t'$  =cooling time constant, seconds



# HEATING AND COOLING CURVES

Assume that a machine attains a temperature rise after the lapse of time  $t$  seconds. In an element of time “ $dt$ ” a small temperature rise “ $d$ ” takes place.

Then,

$$\begin{aligned}\text{Heat developed} &= p \cdot dt \\ \text{Heat developed} &= Gh \cdot dq \\ \text{Heat dissipated} &= S q l \cdot dt\end{aligned}$$



# HEATING AND COOLING CURVES

Therefore, total heat developed=heat stored + heat dissipated

$$\underline{Ghd\theta} + \underline{S\theta\lambda. dt} = \underline{p.dt}$$
$$\frac{\underline{d\theta}}{\underline{dt}} + \frac{\underline{s\lambda}}{\underline{Gh}} = \frac{\underline{p}}{\underline{Gh}}$$

This is a differential equation and solution of this equation is,

$$\theta = \frac{p}{s\lambda} + ke^{-(s\lambda/Gh)t}$$

Where k is a constant of integration determined by initial conditions.

Let the initial temperature rise to be zero at t=0.



# HEATING AND COOLING CURVES



$$\text{Then, } 0 = \frac{P}{s\lambda} + k$$

$$k = \frac{-P}{s\lambda}$$

$$\text{Hence, } \theta = \frac{P}{s\lambda} \left(1 - e^{-\left(\frac{s\lambda}{Gh}\right)t}\right) \quad \text{----- (1)}$$

When  $t = \infty$ ,  $\theta = \frac{P}{s\lambda} = \theta_m$ , the final steady temperature rise.

$$\text{Represent } \frac{P}{s\lambda} = \theta_m \text{ and } \frac{Gh}{s\lambda} = \tau \quad \text{----- (2)}$$

Equation 1 can be written as

$$\theta = \theta_m (1 - e^{-t/\tau}) \quad \text{----- (3)}$$

Where  $\tau$  is called as heating time constant and it has the dimensions of time.



# ASSESSMENT





# REFERENCE



- D.P.Kothari and I.J.Nagrath, “Basic Electrical Engineering”, Tata McGraw Hill publishing company ltd, second edition, 2007
- S.K.Pillai, “ A First Course on Electrical Drives” New age publishing Ltd, 1989. (UNIT I, IV,V)



**THANK YOU!!**