

## SNS COLLEGE OF TECHNOLOGY

(An Autonomous Institution)

## **COIMBATORE-35**

Accredited by NBA-AICTE and Accredited by NAAC – UGC with A+ Grade **Approved by AICTE, New Delhi & Affiliated to Anna University, Chennai** 

## **DEPARTMENT OF ELECTRICAL AND ELECTRONICS ENGINEERING**

## **COURSE NAME: 19EET207/ SYNCHRONOUS AND INDUCTION** MACHINES

## II YEAR / IV SEMESTER

## Unit 2 – SYNCHRONOUS MOTOR

**Topic 5:** Power input and power developed equations



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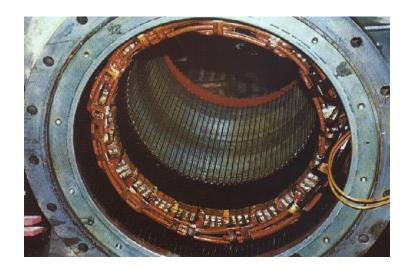
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# **GUESS THE** TOPIC NAME...

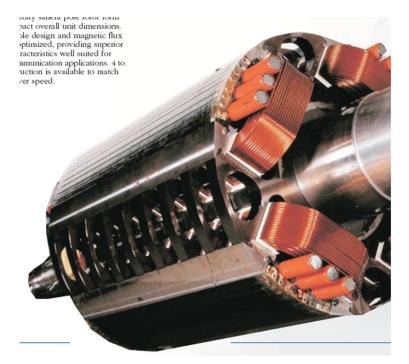




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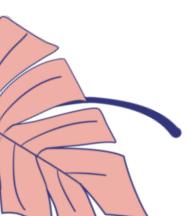








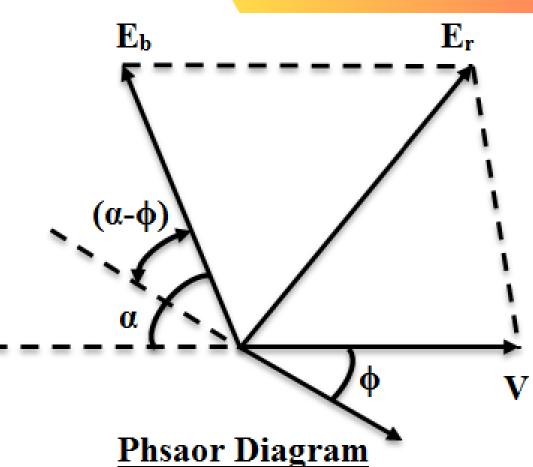
## Synchronous Motor- phasor diagram



The phasor diagram of a synchronous motor is shown below. From the phasor diagram,

Let

- V = Supply voltage / phase
- I<sub>a</sub> = Armature current / phase
- R<sub>a</sub> = Armature resistance / phase
- $\alpha$  = Load angle
- $\phi$  = Power factor angle









### **Input Power to Motor :**

Motor input power / phase =  $V I_a \cos \phi$ Total input power for  $3-\phi$  star-connected motor,  $P = \sqrt{3} V_1 I_1 \cos \phi$ =  $3 V_{ph} I_{ph} \cos \phi$ 

Where

 $V_1$  and  $I_1$  are line values

 $V_{ph}$  and  $I_{ph}$  are phase values

### **Power Developed by Motor :**

The mechanical power developed / phase,

P<sub>m</sub> = Back emf \* Armature current \* Cosine of the angle between E<sub>h</sub> and I<sub>a</sub>

> =  $E_b I_a Cos(\alpha - \phi)$  for lagging p.f =  $E_h I_a Cos(\alpha + \phi)$  for leading p.f



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## Synchronous Motor-Power developed

The copper loss in a synchronous motor takes place in the armature windings. Therefore,

Armature copper loss / phase =  $I_a^2 R_a$ 

Total copper loss =  $3 I_a^2 R_a$ 

By subtracting the <u>copper loss</u> from the power input, we obtain the mechanical power developed by a synchronous motor as

 $P_m = P - P_{cu}$ 

For three-phase,

$$P_{m} = \sqrt{3} I_{L} I_{L} \cos \phi - 3 I_{a}^{2} R_{a}$$

### **Power Output of the Motor :**

To obtain the power output we subtract the iron, friction, and excitation losses from the power developed.

Therefore,

Net output power,  $P_{out} = P_m$  - iron, friction, and excitation losses. The above two stages can be shown diagrammatically called as Power

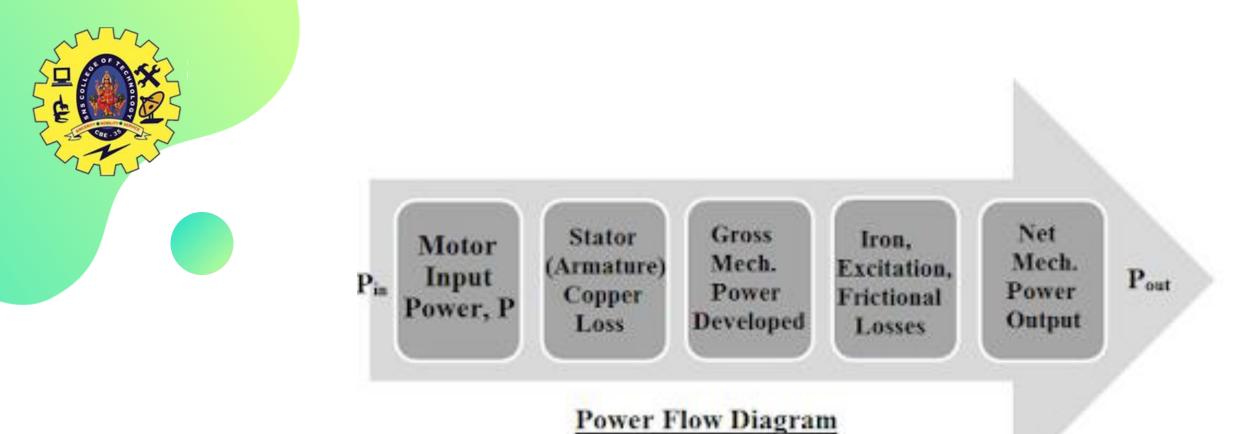
Flow Diagram of a Synchronous Motor











The power developed in a synchronous motor as follows. Motor Input Power, P

- 1. Stator (Armature ) copper loss P<sub>cu</sub>
- 2. Mechanical power developed, P<sub>m</sub> a. Iron, friction, and excitation losses b. Output power, P<sub>out</sub>



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## Net Power Developed by a Synchronous Motor :

The expression for power developed by the synchronous motor in terms of  $\alpha$ ,  $\theta$ , V, E<sub>b</sub> and Z<sub>s</sub> are as follows : Let

- V = Supply voltage
- $E_{h} = Back emf / phase$
- $\alpha$  = Load angle

 $\theta$  = Internal or Impedance angle = Tan<sup>-1</sup> (X<sub>r</sub> / Z<sub>s</sub>)

- $I_a = Armature current / phase = E_r / Z_s$
- $Z_s = R_a + J X_s =$  Synchronous impedance

Mechanical power developed / phase

$$P_m = \frac{E_b V}{Z_s} \cos(\theta - \alpha) - \frac{E_b^2}{Z_s} \cos\theta$$

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## Net Power Developed by a Synchronous Motor:

The armature resistance is neglected If  $R_a$  is neglected, then  $Z_s \approx X_s$  and  $\theta = 90^\circ$ . substituting these values in the above equation

$$P_m = \frac{E_b V}{X_s} \cos(90 - \alpha) - \frac{E_b^2}{X_s} \cos 90^0$$
$$P_m = \frac{E_b V}{X_s} \sin \alpha$$

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# SUMMARY

Power input and power developed equations

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## **KEEP** LEARNING.. Thank u

SEE YOU IN NEXT CLASS

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