Distillation





Learning Outcomes

After this lecture you should be able to.....

- •Explain the importance of Reflux
- •Apply the McCabe Thiele graphical design method to determine the number of equilibrium stages in a column
- •Describe column internals (trays and packing)
- •Define tray efficiency
- •Explain the height of packing equivalent to a theoretical plate

Thanks to Ming Tham's website for pictures and information. An excellent presentation on distillation:

http://lorien.ncl.ac.uk/ming/distil/copydist.htm

Design Illustrated



1. Obtain VLE curve

2. Pick distillate composition, $X_{D_{i}}$ and Reflux ratio, R, and draw operating line for rectification

3. Pick bottoms composition, X_B , and Boilup ratio, V_B , and draw operating line for stripping

4. Start stepping off from the distillate end until the intersection of the two operating lines is passed.

5. Continue stepping but use the stripping operating line

6. Count the number of stages

7. Subtract one for the reboiler to give the number of theoretical trays (or leave as safety factor)



Reflux Considerations

 $R = \frac{Flow returned as Reflux}{Flow of top product taken off}$

The rectifying operating line slope depends on R.

Therefore, the number of stages required for a given separation depends on R.

Effective reflux ratio can be greater than R if the column is poorly insulated and may be subject to change due to weather conditions. A well lagged column is more consistent.

The amount of reflux lies somewhere between the two extremes of total reflux and minimum reflux



Reflux Considerations

The two extremes are Total Reflux and Minimum Reflux

Total Reflux - all condensate is returned, no product is taken off and no feed added. This gives the minimum number of stages to achieve the separation.

Minimum Reflux - reducing R requires more stages to achieve the separation. Further reduction creates a pinch point where an infinite number of stages is required.

Minimum reflux happens when the intersection of the operating lines lies on the equilibrium curve



Total Reflux

- All vapour is condensed and returned as liquid
- Minimum number of plates
- Can use Fenske equation to calculate N_{min}



(Ref. Unit Operations, McCabe Smith, 6th ed. p666)
Sometimes a column is operated in total reflux at startup

Minimum Reflux

Min Reflux happens when the two operating lines intersect on equilibrium curve



Minimum Reflux

Don't forget the q line. Min reflux occurs at intersection with equilibrium curve because all three lines should intersect



Minimum Reflux

Can also be calculated (if feed is liquid at b.p.)

$$R_{\min} = \frac{1}{(\alpha - 1)} \left[\frac{x_D}{x_F} - \frac{\alpha (1 - x_D)}{(1 - x_F)} \right]$$

Or, using definition of slope of line = R/(R+1)

$$R_{\min} = \frac{x_D - y'}{x_D - x'}$$

Where x', y' is the intersection of line with curve

Optimum Reflux Ratio (From McCabe Smith Ch21)

Increase R

- Diameter gets bigger
 - Since D = fn(V, L)
 - R $\uparrow \Rightarrow$ V & L $\uparrow \Rightarrow$ D $\uparrow \therefore$ Capital Cost \uparrow
- No. of Plates gets smaller
 - Height $\downarrow \, : : Capital \ Cost \, \downarrow$
- Heat exchangers get bigger
 - Boiling/Condensing \uparrow .: Capital & Running Cost \uparrow



Optimum Reflux Ratio





Reflux and Cost

A trade off between operating cost and capital cost is needed.

Increase R \Rightarrow Less stages, less capital cost BUT also \Rightarrow More boiling and condensing

Decrease R \Rightarrow More stages, More capital cost BUT also \Rightarrow Less boiling and condensing

Capital and operating costs combine to give a total cost. This is minimised with the following

Rule of thumb - R = 1.1 to 1.5 times Rmin

R determines the slope Change in slope means less or more stages. As R increases the slope approaches 1. More MVC returned to the column.

0.8

0.6

0.4

0.2

0.0

0.0

0.2

0.4

0.6

LIQUID (x)

ก่อ

1.0

(APOUR (y)

Less material is removed as distillate. Separation improves, fewer trays needed

As R is decreased, the slope decreases towards the equilibrium line. A 'pinch' between operating and equilibrium lines becomes more pronounced and more and more trays are required



Activity – Reflux Ratio

Think, Pair, Share the following:

Calculate R for the Acetic Acid/Acetic Anhydride system from last week.



Reflux Control



Figure 8 Single composition control using L to control the purity of the overhead product. The symbol for a control valve represents a flow control loop.

Source: http://www.controlguru.com/wp/p68.html



McCabe Thiele Method

Developed in 1925

Suitable for binary mixtures in continuous columns Can be used as a preliminary study for multi component Combination of VLE data and operating lines Assumes:

Constant molal overflow

No heat loss from column

Not suitable if:

Relative volatility is < 1.3 or > 5

Reflux ratio < 1.1 Rmin

More than 25 theoretical stages needed

Specifications required

The following information is needed

- F Total feed rate
- z_F Mol fraction of MVC in the feed
- P Column operating pressure
- x_D Mol fraction of MVC in the distillate
- x_B Mol fraction of MVC in the bottoms
- R/R_{min} Ratio of reflux to minimum reflux

Results provided

McCabe Thiele provides the following results

- D Overall distillate flowrate
- B Overall bottoms flowrate
- N_{min} Minimum number of equilibrium stages
- R_{min} Minimum reflux ratio (L_{min}/D)
- R Reflux ratio (L/D)
- V_B Boilup ratio (V/B)
- N Number of equilibrium stages
- x_n, y_n Vapour and liquid compositions at each of the stages

Design Procedure

Start with VLE data and draw an x-y diagram

Determine the three operating lines and draw them on the x-y diagram

Using the rectifying operating line and the equilibrium curve draw steps from the distillate composition to the feed point

Count the number of steps. Each one equals an equilbrium or theoretical stage

Using the stripping operating line and the equilibrium curve draw steps from the bottoms composition to the feed point

Add the number of steps to the previous to give the total number of equilibrium stages

Convert this to a number of plates by dividing by the plate efficiency.

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Activity – Count no. of stagesThink, Pair, Share the following:

Determine the number of equilibrium stages needed to effect the specified separation for the Acetic Acid/Acetic Anhydride system

Is it OK to use equilib curve and op line?



I know the no. of equilibrium stages

The hard work is done at this point. The no. of equilibrium stages must be converted to a number of actual real plates.

Typical values for tray efficiency are 0.5 to 0.75, I.e. they are 0.5 to 0.75 times as effective as an ideal stage.

Divide the number of ideal stages by the efficiency.

Don't forget the boiler. This counts as one ideal stage. Delete 1 or leave it in as a safety factor.

Add 10% extra trays.



Trays and Plates

Trays and plates encourage vapour liquid contact so that falling liquid partially vaporises and rising vapor partially condenses to create more equilibrium stages.

This involves heat transfer which takes time. The plate provides an environment in which this can happen.

Trays should aim to minimise pressure drop.

The main designs are....

Bubble cap

Sieve tray

Valve tray



The Bubble Cap Tray

A number of small caps mounted on a riser. The cap is wider than the riser so the vapour flows up the riser and is then forced down around it on to the tray. A shallow pool of liquid is retained on the tray by means of a low weir. The area of the riser and the annular area between the riser and cap should be kept equal so the flowrate is not restricted.

Trays suit medium to large sized columns (0.3 to 5m). On small diameter columns, installation and cleaning is difficult







Bubble cap trays





The Sieve Tray

Sieve tray - a horizontal perforated sheet with a weir on one side. Same diameter as the column. The vapour passes through a shallow pool of liquid.





The Valve Tray

Like the sieve tray. A number of perforations but each perforation is covered by a flap or valve which is only lifted by the vapour flow. The tray may be modified to contain risers like the bubble cap tray in which case the valve sits on top of the riser. Vapour flow depends on the flow rate itself, these trays can operate over a wide range of flow rates. It is not necessary to replace the trays if the flow rate is changed.





Valve trays



Problems with Trays

Adverse vapour flow conditions can cause....

Coning - liquid rate too low. Vapour forces liquid away from slots and passes through as a continuous stream. No mixing

Dumping - vapour rate too low. Some slots dump liquid and don't pass vapour. Vapour accumulates and eventually passes as a pulse.

Weeping - combination of pulsating vapour flow and dumping.

Problems with Trays contd...

Flooding - vapour rate too high. This creates hold-up of liquid on the plate. Creates an increase in column pressure drop.

Entrainment - high vapour flow carries liquid back up the column to the previous tray.

Foaming - liquid expands due to passage of vapour. Although a large vapour liquid interfacial area is created, foaming can cause severe hold up of liquid on a tray.

The vapour rate must be adjustable to get it right

Tray Efficiency - Murphree

For an ideal tray, the vapour leaving is in equilibrium with the liquid leaving.

This may not happen in practice.

The Murphree efficiency is defined as:

$$E_{Mv} = \frac{y_n - y_{n-1}}{y_e - y_{n-1}}$$

Where $E_{mv} =$ Murphree efficiency for vapour $y_n =$ actual vapour composition of tray n $y_{n-1} =$ actual vapour composition of tray n-1 $y_e =$ vapour composition in equilibrium with liquid on tray n

Packing

Can be used instead of trays

Very useful for small columns where installation of trays is difficult

Packing typically has a lower pressure drop than trays which makes it favourable for vacuum columns

Vapour liquid contact may not be as good. The liquid moves towards the walls and vapour flows more readily in the areas free of liquid.

Redistributors may be necessary

Quantity of height of packing = no. of stages x HETP

HETP = height equivalent to a theoretical plate



Types of Packing

Pall rings, raschig rings and saddles are easily available



They provide a large interfacial area and minimise short circuits for flow

They come in different sizes – e.g. small and large pall rings



Packing Support



Install at base of column to hold packing and allow vapour to pass



HETP

The height of a particular packing that is equivalent to a theoretical plate does not just depend on its physical shape.

The vapour flow rate up the column also affects this number.

1.5 to 2" sizes of common packings allow the same vapour velocity as a sieve tray and have a HETP of 0.3 to 0.6 m (Unit Ops, McCabe Smith, 6th Ed., p699)

What improvements should this man make to his design? What would you say to him? (He is making Raki)

