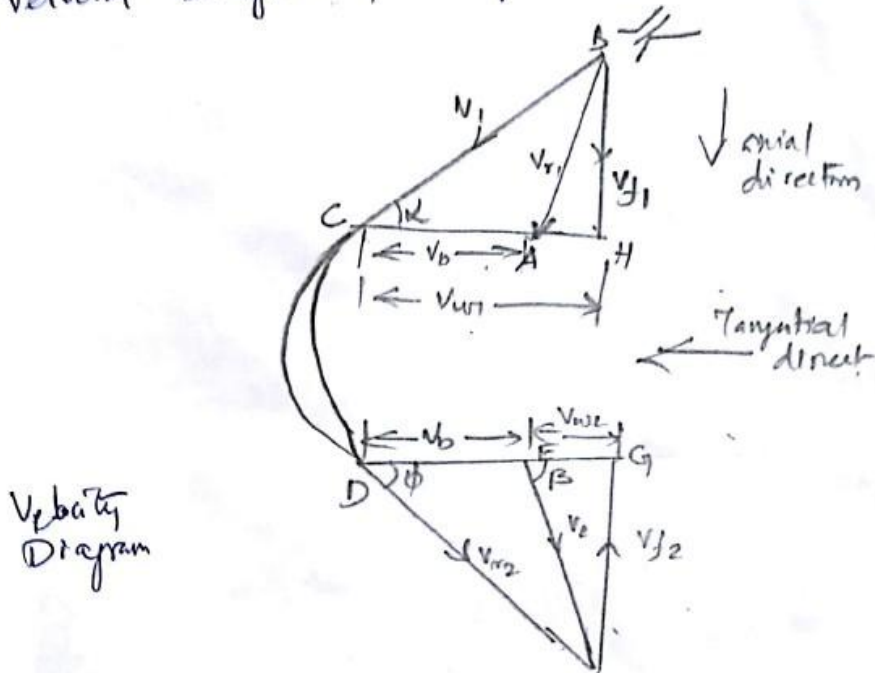




Velocity Diagram for Impulse Turbine



Velocity Diagram

v_1 = Absolute velocity of steam entering the nozzle or moving blade (BC)

v_b = Blade velocity or linear velocity of moving blade

(AC - inlet velocity triangle, DE in outlet velocity triangle)

v_{r1} = Relative velocity of steam jet to the moving blade (BA)

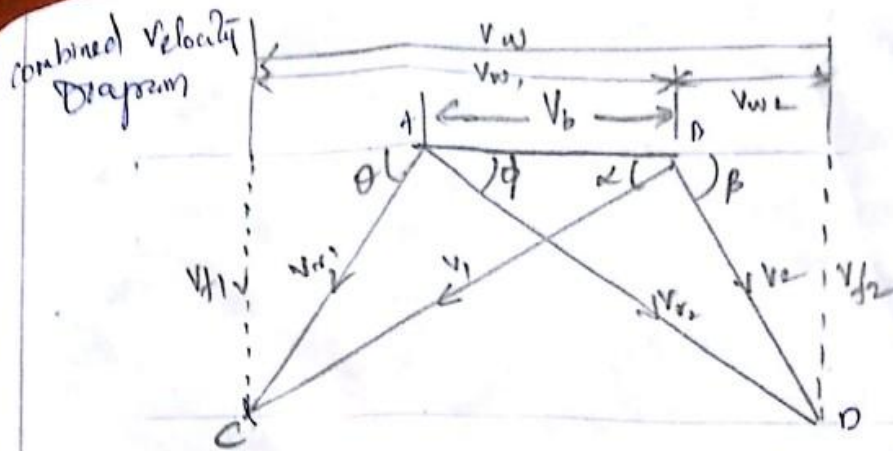
v_{y1} = Velocity of flow at the entrance of the moving blade

v_{w1} = Velocity of the whirl at the entrance

α = Nozzle angle (or) angle of absolute velocity v_1 and v_b

α = Blade angle at inlet

β = angle of v_2 with direction of motion of blade



- 1) Draw a line AB equal to V_b (blade velocity) to some scale.
- 2) At B, draw a line BC of length equal to V_1 , and angle equal to α with AB.
- 3) Join AC which is equal to V_{r1} . It is angle θ .
- 4) At A, draw an inclined line at an angle ϕ with AB. Keeping A as Centre, AC as radius draw an Arc to cut this inclined line and get D. $AC = AD = V_{r1}$.
- 5) Join BD which is equal to V_2 . The angle of V_2 with the direction of blade velocity is β .
- 6) If we resolve the velocity V_1 , we get V_{f1} (velocity of flow at inlet) and V_{w1} (velocity of whirl at inlet).
- 7) If we resolve the velocity V_2 , we get V_{f2} and V_{w2} .

Blade efficiency

The Ratio of power developed by the turbine to the energy entering the blades per second.

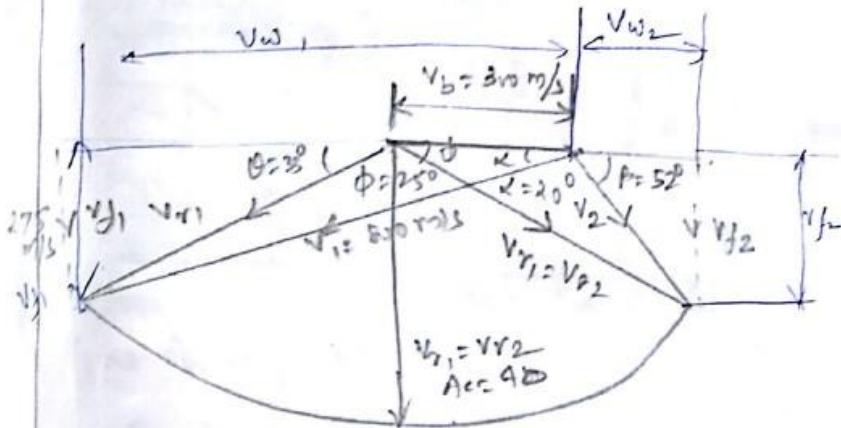
$$\eta_{\text{blade}} = \frac{2(V_{w1} + V_{w2})V_b}{V_1^2}$$

$$\text{Max. blade efficiency} = \eta_{\text{blade}} = \cos^2 \alpha$$

(1)

The following data refers to a single stage impulse turbine - Steam Velocity = 800 m/s. Blade Speed = 300 m/s. Nozzle angle = 20° , Blade outlet angle = 25° . Neglecting effect of friction, calculate the power developed by the turbine for the steam flow rate of 25 kg/s. Also calculate the axial thrust on the bearings.

Absolute Velocity of Steam entering the blades' $V_1 = 800 \text{ m/s}$, Blade Speed $V_b = 300 \text{ m/s}$, Nozzle angle $\alpha = 20^\circ$ Blade outlet angle $\phi = 25^\circ$, Steam flow rate $\dot{m} = 25 \text{ kg/s}$.
Power developed = ?, Axial thrust on the heavy = ?



Power developed.

$$\begin{aligned} \text{power} &= \dot{m} (V_{w1} + V_{w2}) V_b \\ &= 25 \times 930 \times 300 \\ &= 6975 \times 10^3 \text{ watts} \\ &= 6975 \text{ kW} \end{aligned}$$

Axial thrust on Bearings

$$\begin{aligned} \text{Axial thrust} &= \dot{m} (V_{f1} - V_{f2}) \\ &= 25 (275 - 220) \\ &= 1375 \text{ N.} \end{aligned}$$