## CSE 411

## Computer Graphics

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## Objectives

- HB Ch. 4 \& GVS Ch. 7 (partly)
- Coordinate reference frames

Two-dimensional world reference

- OpenGL Point Functions
- OpenGL Line Functions
- Polygon Fill Areas \& OpenGL functions
- OpenGL Vertex Arrays
- Character Primitives \& OpenGL functions


## Graphics Output Primitives

- Graphics output primitives
- Functions used to describe the various picture components
- Examples: car, house, flower, ...

Geometric primitives

- Functions used to describe points, lines, triangles, circles, ...


## Coordinate Reference Frames

- Cartesian coordinate system
- Can be 2D or 3D
- Objects are associated to a set of coordinates
- World coordinates are associated to a scene
- Object description
- Coordinates of vertices
- Color
- Coordinate extents (min and max for each $(x, y, z)$ in object - also called the bounding box
- In 2D - bounding rectangle


## Coordinate Reference Frames

 (cont.)Screen coordinates

- Location of object on a monitor
- Start from upper left corner (origin $(0,0)$ )
- Pixel coordinates
- Scan line number (y)
- Column number (x)
- Other origin $\rightarrow$ lower left corner $(0,0)$
- Pixel coordinate references the center of the pixel
- setPixel ( $x, y$ )
- getPixel (x, y, color)
- Depth value is 0 in 2D

Pixel positions


Referenced with respect to the lower-left corner of a screen area.

## Coordinate Specifications

- Absolute coordinate values
- Relative coordinate values:
- Current position + offset


## 2D World Reference

- gluOrtho2D (xMin, xMax, yMin, yMax)

References display window as a rectangle with the minimum and maximum values listed

- Absolute coordinates within these ranges will be displayed
glMatrixMode(GL_PROJECTION);
// set projection parameters to 2D
glLoadIdentity(); // sets projection matrix to identity gluOrtho2D (0.0, 200.0, 0.0, 150.0) ;
// set coordinate values
// with vertices $(0,0)$ for lower left
corner
// and $(200,150)$ for upper right corner


## gIOrtho2D Function



## Point Functions

## Point

- Coordinates

Color - default color is white

- Size - one screen pixel by default (glPointSize)
a glBegin (GL_POINTS)
glVertex2i $(50,100)$; glVertex2i (75, 150); glVertex2i $(100,200)$; glEnd () ;
- Coordinates can also be set in an int []: int point1 [] $=\{50,100\}$;
glVertex2iv (point1);

Example: Three Point Positions


Generated with glBegin (GL_POINTS).

## OpenGL Line Functions

## - Line

- Defined by two endpoint coordinates (one line segment) glBegin (GL_LINES );
glVertex2i( 180,15 );
glend();
- If several vertices, a line is drawn between the first and second, then a separate one between the third and the fourth, etc. (isolated vertices are not drawn).


## OpenGL Line Functions (cont.)

- Polyline
- Defined by line connecting all the points glBegin (GL_LINE_STRIP ); glVertex2ī ( 180,15 ); glVertex2i ( 10,145 ); glVertex2i ( 100, 20); glVertex2i( 30, 150 ); glEnd();
- Draws a line between vertex 1 and vertex 2 then between vertex 2 and vertex 3 then between vertex 3 and vertex 4 .


## OpenGL Line Functions (cont.)

- Polyline
- In addition to GL_LINE STRIP, adds a line between the last vertex and the first one glBegin (GL_LINE LOOP ); glVer̄tex2ī ( 180,15 ); glVertex2i ( 10,145 ); glVertex2i( 100,20 );
glend();
- Draws a line between vertex 1 and vertex 2 then between vertex 2 and vertex 3 then between vertex 3 and vertex 4 then between vertex 4 and vertex 1 .


## Example: Line segments


(a)

(b)

(c)

With five endpoint coordinates
(a) An unconnected set of lines generated with the primitive line constant GL_LINES.
(b) A polyline generated with GL_LINE_STRIP.
(c) A closed polyline generated with GL_LINE_LOOP.

## OpenGL Curve Functions

- Not included in OpenGL core library (only Bézier splines: polynomials defined with a discrete point set)
- GLU has routines for 3D quadrics like spheres, cylinders and also rational Bsplines
- GLUT has routines for 3D quadrics like spheres, cones and others


## OpenGL Curve Functions (cont.)

- How to draw curves?

Solution: Approximating using polyline

Curve Approximation


A circular arc approximated with (a) three straight-line segments, (b) six line segments, and (c) twelve line segments. Graphics Output Primitives

## Fill-Area Primitives

Fill-areas

- Area filled with a certain color

Most often the shape is that of a polygon Boundaries are linear Most curved surfaces can be approximated with polygon facets (surface fitting with polygon mesh)

- Standard graphics objects are objects made of a set of polygon surface patches.


## Solid-color fill areas curved boundary


(a)

(b)
(c)

Specified with various boundaries.
(a) A circular fill region
(b) A fill area bounded by a closed polyline
(c) A filled area specified with an irregular curved boundary

## Approximating a curved surface



Wire-frame representation for a cylinder, showing only the front (visible) faces of the polygon mesh used to approximate the surfaces.

## Polygon Fill-Areas

## Polygon classification

- Polygon is a figure with three or more vertices and vertices are connected by a sequence of straight line called edges or sides
- A polygon should be closed and with no edges crossing
a Convex polygon has all interior angles less than or equal to $180^{\circ}$, line joining two interior points is also interior to the polygon
- Concave polygon otherwise


## OpenGL Fill Area Functions

- OpenGL requires all polygons to be convex
- If need to draw concave polygons, then split them into convex polygons
- GLU library contains routines to convert concave polygons into a set of triangles, triangle mashes, triangle fans and straight line segments


## Valid and Invalid Polygons



## Convex and Concave Polygons



A convex polygon (a), and a concave polygon (b).

Identifying a concave polygon


$$
\begin{aligned}
& \left(\mathbf{E}_{1} \times \mathbf{E}_{2}\right)_{z}>0 \\
& \left(\mathbf{E}_{2} \times \mathbf{E}_{3}\right)_{z}>0 \\
& \left(\mathbf{E}_{3} \times \mathbf{E}_{4}\right)_{z}<0 \\
& \left(\mathbf{E}_{4} \times \mathbf{E}_{5}\right)_{z}>0 \\
& \left(\mathbf{E}_{5} \times \mathbf{E}_{6}\right)_{z}>0 \\
& \left(\mathbf{E}_{6} \times \mathbf{E}_{1}\right)_{z}>0
\end{aligned}
$$

By calculating cross-products of successive pairs of edge vectors

## Splitting a concave polygon



Using the vector method

## Example: Splitting a concave

## polygon

- Polygon from Slide 27:
- Edge vectors:
a $z$ component is 0 because all edges are in xy plane
- $E_{1}=(1,0,0)$
$E_{2}=(1,1,0)$
$\mathrm{E}_{3}=(1,-1,0)$
- $E_{4}=(0,2,0)$
$\mathrm{E}_{5}=(-3,0,0)$
$\mathrm{E}_{6}=(0,-2,0)$
- (Remember) The cross-product $E_{j} \times E_{k}$ for two successive edge vectors is a vector perpendicular the xy plane with $z$ component equal to $E_{j x} E_{k y}-E_{k x} E_{j y}$


## Example: Splitting a concave

 polygon (cont.)So:

- $E_{1} \times E_{2}=(0,0,1)$
- $E_{3} \times E_{4}=(0,0,2)$

$$
E_{5} \times E_{6}=(0,0,6)
$$

$$
\begin{aligned}
& E_{2} \times E_{3}=(0,0,-2) \\
& E_{4} \times E_{5}=(0,0,6) \\
& E_{6} \times E_{1}=(0,0,2)
\end{aligned}
$$

- $E_{2} \times E_{3}$ negative, split along the line of vector $E_{2}$


## Example: Splitting a concave polygon (cont.) Line equation for $E_{2}$ : <br> - Slope 1 <br> - $y$ intercept -1

(Remember: $y=m x+b, m=\frac{y_{\text {end }}-y_{0}}{x_{\text {end }}-x_{0}}, b=y_{0}-m x_{0}$ )

## Splitting a concave polygon



Using the rotational method

## Example: Splitting a concave

 polygon- The algorithm:

1. Shift each vertex $V_{k}$ to origin
2. Rotate so that next vertex $V_{k+1}$ is on the $x$-axis
3. If next vertex $V_{k+2}$ is below $x$-axis split

- Example: Polygon from Slide 31:

After moving $V_{2}$ to the coordinate origin and rotating $V_{3}$ onto the $x$ axis, we find that $V_{4}$ is below the $x$ axis. So we split the polygon along the line of $\overline{1 / I /}$ unhinh is thn $v$ avic

## Inside-Outside Tests

- In CG applications often interior regions of objects have to be identified.
- Approaches:
- Odd-even rule:

1. Draw a line from a point to outside of coordinate extents
2. Count line segments of the object crossing this line
3. If the number is odd then the point is interior, else exterior

## Inside-Outside Tests (cont.)

- Nonzero winding-number rule:

1. Init winding-number to 0
2. Draw a line from a point
3. Move along the line
4. Count line segments of object crossing this line
5. If crossing line is from right-to-left; windingnumber +1 , otherwise winding-number - 1
6. If winding-number $\neq 0$ then point interior, else exterior

- But: How to determine directional boundary crossings?
- (Hint: Using vectors)


## Example: Inside-Outside Tests



Odd-Even Rule


Nonzero Winding-Number Rule
(b)

## Polygon Tables

- Objects in a scene are described as sets of polygon surface facets.
- Data is organized in polygon data tables
- Geometric data tables
- Vertex table: Coordinate values for each vertex
- Edge table: Pointers to vertex table defining each edge in polygon
- Surface-facet table: Pointers to edge tabel defining each edge for given surface
- Attribute data tables: Degree of transparency, surface reflectivity, texture characteristics


## Geometric data-table



Representation for two adjacent polygon surface facets, formed with six edges and five vertices.

## Expanded Edge Table

$$
\begin{array}{ll}
E_{1}: & V_{1}, V_{2}, S_{1} \\
E_{2}: & V_{2}, V_{3}, S_{1} \\
E_{3}: & V_{3}, V_{1}, S_{1}, S_{2} \\
E_{4}: & V_{3}, V_{4}, S_{2} \\
E_{5}: & V_{4}, V_{5}, S_{2} \\
E_{6}: & V_{5}, V_{1}, S_{2}
\end{array}
$$

For the surfaces of figure in Slide 37 expanded to include pointers into the surfacefacet table.

## Polygon Tables

- Error checking is easier when using three data tables.
- Error checking includes:

1. Is every vertex listed as an endpoint for at least two edges?
2. Is every edge a part of at least one polygon?
3. Is every polygon closed?
4. Has each polygon at least one shared edge?
5. If the edge table contains pointers to polygons, has every edge referenced by a polygon pointer a reciprocal pointer back to the polygon?

## Plane Equations

- For many CG applications the spatial orientation of the surface components of objects is needed.
- This information is obtained from vertex coordinate values and the equations that describe the polygon surface.
- General equation for a plane is:
- $A x+B y+C z+D=0$
- $(x, y, z)$ any point on the plane
- $A, B, C, D$ plane parameters


## Plane Equations: The <br> Parameters

- To find the plane parameters:

1. Select three successive convex polygon vertices (counterclockwise)
2. Solve $\left(\frac{A}{D}\right) x_{k}+\left(\frac{B}{D}\right) y_{k}+\left(\frac{C}{D}\right) z_{k}=-1$ (Hint: Using Cramer's rule)
3. Solve:

$$
\begin{gathered}
A=y_{1}\left(z_{2}-z_{3}\right)+y_{2}\left(z_{3}-z_{1}\right)+y_{3}\left(z_{1}-z_{2}\right) \\
B=z_{1}\left(x_{2}-x_{3}\right)+z_{2}\left(x_{3}-x_{1}\right)+z_{3}\left(x_{1}-x_{2}\right) \\
C=x_{1}\left(y_{2}-y_{3}\right)+x_{2}\left(y_{3}-y_{1}\right)+x_{3}\left(y_{1}-y_{2}\right) \\
D=-x_{1}\left(y_{2} z_{3}-y_{3} z_{2}\right)-x_{2}\left(y_{3} z_{1}-y_{1} z_{3}\right)-x_{3}\left(y_{1} z_{2}-y_{1} z_{2}\right)
\end{gathered}
$$

## Front and Back Polygon Faces

- The sides of a polygon surface have to be distinguished.
- The side of a polygon surface facing into the interior of an object is called back face.
- The visible/outward side of a polygon surface is called front face.
- Every polygon on a plane partitions the space into two regions.
- Any point that is not on the plane and is visible to the front face of a polygon surface is called in front of/outside the plane (and also outside the object).
- Otherwise behind/inside.


## Where is the Point?

- For any point $(x, y, z)$ not on a plane:
- $A x+B y+C z+D \neq 0$

So if:

- $A x+B y+C z+D<0$, point is behind the plane
- $A x+B y+C z+D>0$, point is in front of the plane


## Example: Unit Cube



The shaded polygon surface of the unit cube has the plane equation $x-1=0$

## Orientation of a Polygon

 Surface- (Surface) Normal vector always points from back face to front face and is perpendicular to the surface, i.e. from inside to outside.
- When using normal vector, the plane equation can be expressed as: $N \cdot P=-D$ (coming soon)

The normal vector $\mathbf{N}$


For a plane described with the equation $A x+B y+C z+D=0$ is perpendicular to the plane and has Cartesian components $(A, B, C)$

## Calculating the Normal Vector

- Assumption: Convex polygon facet and righthanded Cartesian coordinates

1. Select three vertex positions $V_{1}, V_{2}$ and $V_{3}$ (counterclockwise) from outside the object to inside
2. Form two vectors from $V_{1}$ to $V_{2}$ and from $V_{1}$ to $V_{3}$
3. Calculate $N$ as vector cross product:

$$
N=\left(V_{2}-V_{1}\right) \times\left(V_{3}-V_{1}\right) \text { gives plane parameters }
$$

A, B, C)
4. Substitute for $D$ (in equations above) and solve

## Calculating the Normal Vector

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A, B, C)
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## OpenGL Fill Area Functions

By default, a polygon interior is displayed in a solid color, determined by the current color settings
Alternatively, we can fill a polygon with a pattern and we can display polygon edges as line borders around the interior fill
Polygon vertices are specified counterclockwise.

## OpenGL Fill Area Functions (cont.)

## Rectangle

$g \operatorname{Rect}^{*}(x 1, y 1, x 2, y 2)$ where * means $d, f, i, s$, v)<br>gIRecti(200,100,50,250)<br>int vertex1[ ] = \{200,100\};<br>int vertex1[ ]= $\{50,250\}$;<br>gIRectiv(vertex1, vertex2);

## Example: Square Fill Area


using the glRect function

## Counterclockwise? Clockwise?

What happened in previous example?

Why clockwise?

Answer: In OpenGL normally always counterclockwise but in general counterclockwise is necessary if back face/front face distinction is important.

## OpenGL Fill Area Functions

GL_POLYGON

- gIBegin(GL_POLYGON); gIVertex2iv(p1); gIVertex2iv(p2); gIVertex2iv(p3); glVertex2iv(p4); gIVertex2iv(p5); gIVertex2iv(p6); glEnd();


## OpenGL Fill Area Functions (cont.)

Triangle (GL TRIANGLES or
GL_TRIANGLE STRIP or GL_TRIANGLE_FAN)
GL_TRIANGLE_STRIP

- glBegin(GL_TRIANGLES); gIVertex2iv(p1);
glVertex2iv(p2);
glVertex2iv(p3);
glVertex2iv(p4);
gIVertex2iv(p5);
gIVertex2iv(p6);
glEnd( );


## OpenGL Fill Area Functions (cont.)

## GL_TRIANGLE_STRIP

- gIBegin(GL_TRIANGLE_STRIP); glVertex2iv(p1); glVertex2iv(p2); glVertex2iv(p6); glVertex2iv(p3); gIVertex2iv(p5); gIVertex2iv(p4); glEnd();


## OpenGL Fill Area Functions (cont.)

GL_TRIANGLE_FAN

- gIBegin(GL_TRIANGLE_FAN); glVertex2iv(p1); glVertex2iv(p2); glVertex2iv(p3); glVertex2iv(p4); gIVertex2iv(p5); gIVertex2iv(p6); glEnd();


## Polygon Fill Areas



Using a list of six vertex positions. (a) A single convex polygon fill area generated with the primitive constant GL_POLYGON. (b) Two unconnected triangles generated with GL TRIANGLES. (c) Four connected triangles generated with GL_TRIANGLE_STRIP. (d) Fou connected triangles generated with GL_TRIANGLE_FAN.

## OpenGL Fill Area Functions

Quads (GL_QUADS or GL_QUAD_STRIP)
GL_QUADS

- glBegin(GL_QUADS);
glVertex2iv(p1);
glVertex2iv(p2);
glVertex2iv(p3);
glVertex2iv(p4);
glVertex2iv(p5);
glVertex2iv(p6);
glVertex2iv(p7);
glVertex2iv(p8);
glEnd();


## OpenGL Fill Area Functions (cont.)

## GL_QUAD_STRIP

- glBegin(GL_QUADS); glVertex2iv(p1); glVertex2iv(p2);
glVertex2iv(p4);
glVertex2iv(p3);
gIVertex2iv(p5);
glVertex2iv(p6);
gIVertex2iv(p8);
glVertex2iv(p7);
gIEnd();


## Quadrilateral Fill Areas



Using a list of eight vertex positions. (a) Two unconnected quadrilaterals generated with GL_QUADS. (b) Three connected quadrilaterals generated with GL_QUAD_STRIP.

## How many objects?

Assumption: Number of vertices $=\mathrm{N}$

Triangles: int $(\mathrm{N} / 3)(\mathrm{N} \geq 3)$
Triangles in strip: $\mathrm{N}-2(\mathrm{~N} \geq 3)$
Triangles in fan: $\mathrm{N}-2(\mathrm{~N} \geq 3)$

Quads: $\operatorname{int}(N / 4)(N \geq 4)$

## Processing Order

Assumption: Position in vertex list $=n$

- $(n=1, n=2, \ldots, n=N-2)$

Triangles: Nothing special
Triangles in strip:

- If $n$ odd: $n, n+1, n+2$

If $n$ even: $n+1, n, n+2$
Triangles in fan: $1, n+1, n+2$

Quads in strip: $2 n-1,2 n, 2 n+2,2 n+1$

## Vertex Arrays

- We can store a list of points:

$$
\text { int pt[8][3]=} \begin{aligned}
& \{\{0,0,0\},\{0,1,0\},\{1,0,0\},\{1,1,0\}, \\
& \{0,0,1\},\{0,1,1\},\{1,0,1\},\{1,1,1\}\} ;
\end{aligned}
$$

- Above could be used for a cube.
- To plot faces can make calls beginning with either glBegin(GL_POLYGON) or gIBegin(GL_QUADS)

Example: Cube

with an edge length of 1
Graphics Output Primitives

## Example: Cube (cont.)



Subscript values for array pt corresponding to the vertex coordinates for the cube shown in Slide 64.cs output Primitives

## Vertex Arrays (cont.)

void quad(int p1, int p2, int p3, int p4) \{ glBegin(GL_QUADS); glVertex3i( pt[p1][0], pt[p1][1], pt[p1][2] ); glVertex3i( pt[p2][0], pt[p2][1], pt[p2][2] ); glVertex3i( pt[p3][0], pt[p3][1], pt[p3][2] ); glVertex3i( pt[p4][0], pt[p4][1], pt[p4][2] ); glEnd();
void cube() \{ quad( $6,2,3,7$ ); quad( $5,1,0,4$ ); quad( $7,3,1,5$ ); quad(4,0,2,6); quad( $2,0,1,3$ ); quad( $7,5,4,6$ );

Too many function calls!

## Vertex Arrays (cont.)

Use vertex arrays!

General procedure:

Activate vertex array feature
Specify location and data for vertex coordinates
3. Process multiple primitives with few calls

## Vertex Arrays (cont.)

gIEnableClientState(GL_VERTEX_ARRAY); (1)
gIVertexPointer(3,GL_INT,0,pt); (2)
GLubyte vertIndex[] $=\{6,2,3,7,5,1,0,4,7,3,1,5,4,0,2,6$, $2,0,1,3,7,5,4,6\} ;$ (vertices for cube)
gIDrawElements(GL_QUADS, 24,
GL_UNSIGNED_BYTE,vertIndex);

- Vertex arrays can be disabled with gIDisableClientState(GL_VERTEX_ARRAY);


## OpenGL Output Primitives

Next slides give a summary of OpenGL output primitive functions and related routines (incl. Pixel-array primitives and Character primitives) (See also HB p. 102-117)

## Table 4.1

## TABLE 4-1

Summary of OpenGL Output Primitive Functions and Related Routines

| Function |  | Description |
| :---: | :---: | :---: |
| gluOrtho | 2D | Specifies a two-dimensional worldcoordinate reference. |
| glVertex |  | Selects a coordinate position. This function must be placed within a glBegin/g1End pair. |
| glBegin | (GL_POINTS) : | Plots one or more point positions, each specified in a gIVertex function. The list of positions is then closed with a g1End statement. |
| glBegin | (GL_LINES) ; | Displays a set of straight-line segments, whose endpoint coordinates are specified in glVertex functions. The list of endpoints is then closed with a g1End statement. |
| glBegin | (GL_LINE_STRIP) ; | Displays a polyline, specified using the same structure as GL $\qquad$ LINES. |
| glBegin | (GL_LINE_LOOP) ; | Displays a closed polyline, specified using the same structure as GL $\qquad$ LINES. |
| glRect* |  | Displays a fill rectangle in the $x y$ plane. mititike |

glBegin (GL__POLYGON) ;
glBegin (GL__TRIANGLES) ;
glBegin (GL__TRIANGLE_STRIP);
glBegin (GL_TRIANGLE_FAN);
glBegin (GL__QUADS) ;
glBegin (GL__QUAD__STRIP) ;
glEnableClientState
(GL_VERTEX_ARRAY) ;
glVertexPointer (size, type, stride, array) ;
glDrawElements (prim, num, type, array) ;

Displays a fill polygon, whose vertices are given in glVertex functions and terminated with a glEnd statement.
Displays a set of fill triangles using the same structure as GL $\qquad$ POLYGON.

Displays a fill-triangle mesh, specified using the same structure as GL $\qquad$ POLYGON.

Displays a fill-triangle mesh in a fan shape with all triangles connected to the first vertex, specified with same structure as GL $\qquad$ POLYGON.

Displays a set of fill quadrilaterals, specified with the same structure as GL__POLYGON.

Displays a fill-quadrilateral mesh, specified with the same structure as GL__POLYGON.

Activates vertex-array features of OpenGL.

Specifies an array of coordinate values.

Displays a specified primitive type from array data.

## Table 4-1 (cont.)

## T A B L E 4-1

(continued)

| Function | Description |
| :---: | :---: |
| g1NewList (1istID, 1istMode) | Defines a set of commands as a display list, terminated with a g1EndList statement. |
| g1GenLists | Generates one or more display-list identifiers. |
| glIsList | Queries OpenGL to determine whether a display-list identifier is in use. |
| g1Cal1List | Executes a single display list. |
| g1ListBase | Specifies an offset value for an array of display-list identifiers. |
| glCallLists | Executes multiple display lists. |
| g1DeleteLists | Eliminates a specified sequence of display lists. |
| g1RasterPos* ${ }^{\text {* }}$ Graphics | Specifies a two-dimensional or threedimensional current position for the frame buffer. This position is used as a reference for bitmap and pixmap ripititeerns. |

glBitmap (w, h, xO, yO,
xShift, yShift, pattern);
glDrawPixels (w, h, type,
format, pattern):
glDrawBuffer
glReadPixels
glCopyPixels
glLogicOp
glutBitmapCharacter
(font, char) ;
glutStrokeCharacter
(font, char) ;
glutReshapeFunc

Specifies a binary pattern that is to be mapped to pixel positions relative to the current position.

Specifies a color pattern that is to be mapped to pixel positions relative to the current position.

Selects one or more buffers for storing a pixmap.

Saves a block of pixels in a selected array.
Copies a block of pixels from one buffer position to another.

Selects a logical operation for combining two pixel arrays, after enabling with the constant GL_COLOR_LOGIC_OP.

Specifies a font and a bitmap character for display.

Specifies a font and an outline character for display.

Specifies actions to be taken when display-window dimensions are changed.

## Next Lecture

## Attributes of Graphics Primitives

## References

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- Edward Angel, "Interactive Computer Graphics. A Top-Down Approach Using OpenGL", AddisonWesley, 2005

